

# Mitigation of Underbody Blast Injuries to the Lower Extremity by Optimization of Combat Boot Properties

Brandon Perry, Kyvory Henderson, Ann Bailey, Lee Gabler, Robert Salzar



### Introduction

- 32 percent of soldiers wounded in underbody blast (UBB) events Injury Mitigation Material sustained foot/ankle fractures, 16 percent sustained both foot/ankle and tibia/fibula fractures [1]
- An objective injury criterion for high-rate UBB events for lower extremity injuries does not exist
- A layer of a prescribed injury mitigating material could provide sufficient protection for the lower extremity
- This study modifies an existing lumped-mass model by adding injury mitigating material properties to predict tibia and calcaneus loads [2]

#### Goals

- Benchmark the accuracy of the lumped-mass model with injury mitigating material properties
- Investigate effects of injury mitigating layers on the lower extremity using post mortem human specimens (PMHS)

### Methods

#### **Injury Mitigation Material**

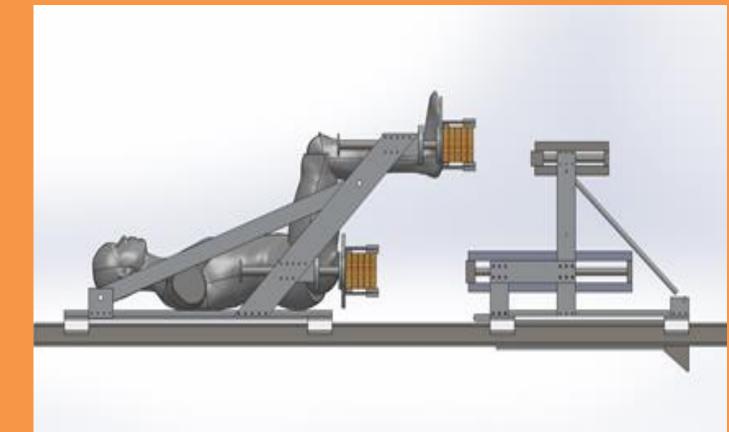
- Materials investigated: polyurethane-20, -40, -60, -80, Sorbothane®-50
- Polyurethane material properties obtained experimentally
- Sorbothane®-50 material properties are available [3]
- Materials characterized using viscoelastic theory to predict force response

#### Lumped-Mass Model

 A modified lumped-mass model of the human lower extremity was used to evaluate potential injury mitigation materials for [2]

#### PMHS Experiments

 Two whole body experiments were performed on the Center for Applied Biomechanics UBB simulator, Odyssey



Each specimen tested three times: -Right foot in contact with Sorbothane®-50 -Left foot in contact with plate

Test Matrix							
Test	Specimen	Velocity (m/s)	Foot Hammer Mass (kg)	Max Foot Pan Acceleration: TTP (g, ms)			
1		5.8	33.1	155.1, 0.337			
2	606	7.2	32.4	508.2, 0.288			
3		13.5	32.4	655.6, 0.270			
4		6.0	33.1	123.9, 0.535			
5	622	7.3	32.4	128.5, 1.091			
6		13.4	32.4	507.5, 1.878			

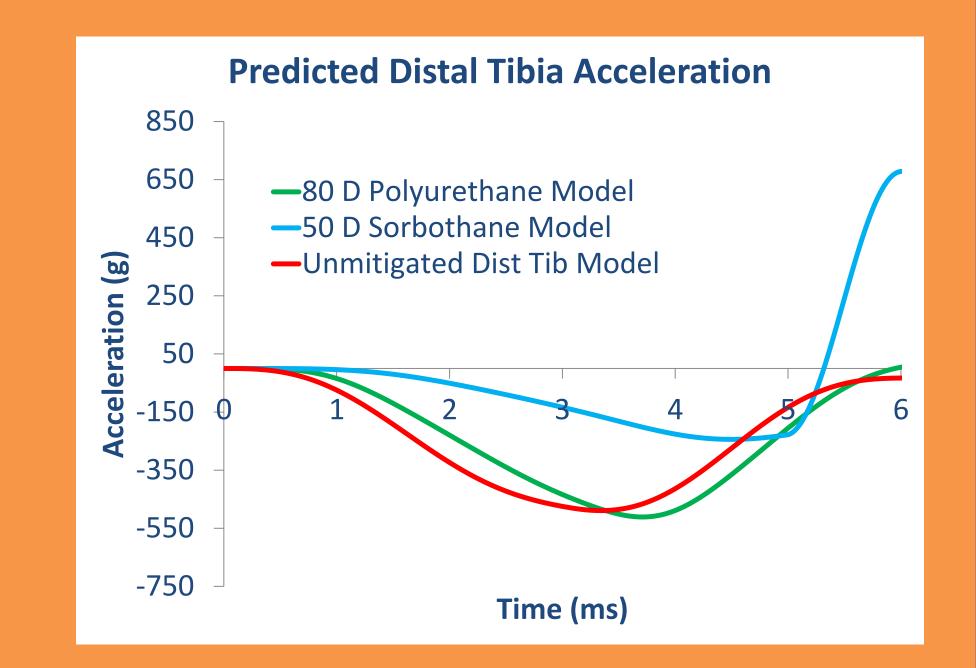
# Results

Viscoelastic material parameters

Material Parameters							
Material - Durometer	Model Type	Instantaneous Elastic Response Terms- A, B	Reduced Relaxation Parameters - G <sub>i</sub>	Time Constants- τ <sub>i</sub> (s)			
Polyurethane-20	Non-linear elastic	1.245E6, 2.328	0	0			
Polyurethane-40	Non-linear elastic	4.763E6, 1.490	0	0			
Polyurethane-60	Quasi-linear viscoelastic	3.318E7, 2.297	$G_1 = 0.870$ $G_{\infty} = 0.130$	$\tau_1 = 2.686E-4$			
Polyurethane-80	Quasi-linear viscoelastic	6.166E7, 1.985	$G_1 = 0.140$ $G_2 = 0.717$ $G_4 = 0.0242$ $G_{\infty} = 0.119$	$\tau_1 = 1.001E-5$ $\tau_2 = 4.005E-4$ $\tau_4 = 1.634$			
Sorbothane®-50	Linear viscoelastic	7.407E6, 0	$G_1 = 0.812$ $G_2 = 0.101$ $G_{\infty} = 0.087$	$\tau_1 = 1E-3$ $\tau_2 = 1E-2$			

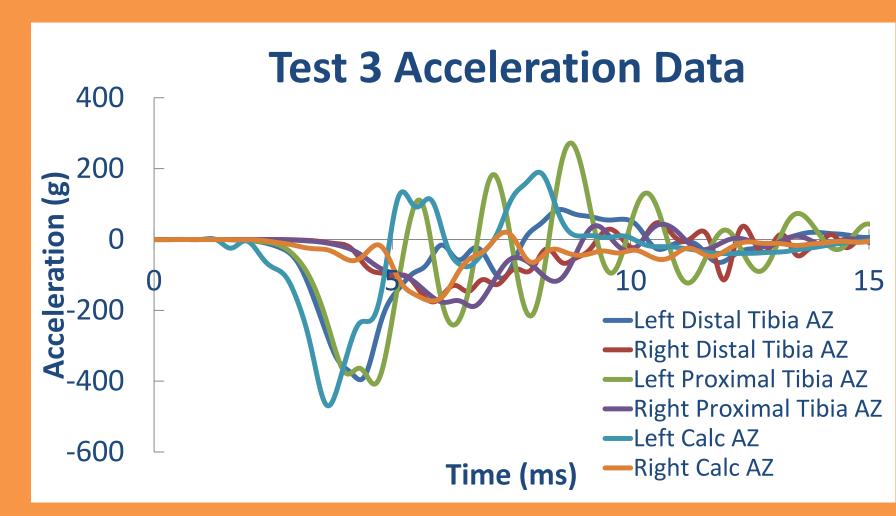
#### Lumped-Mass Model

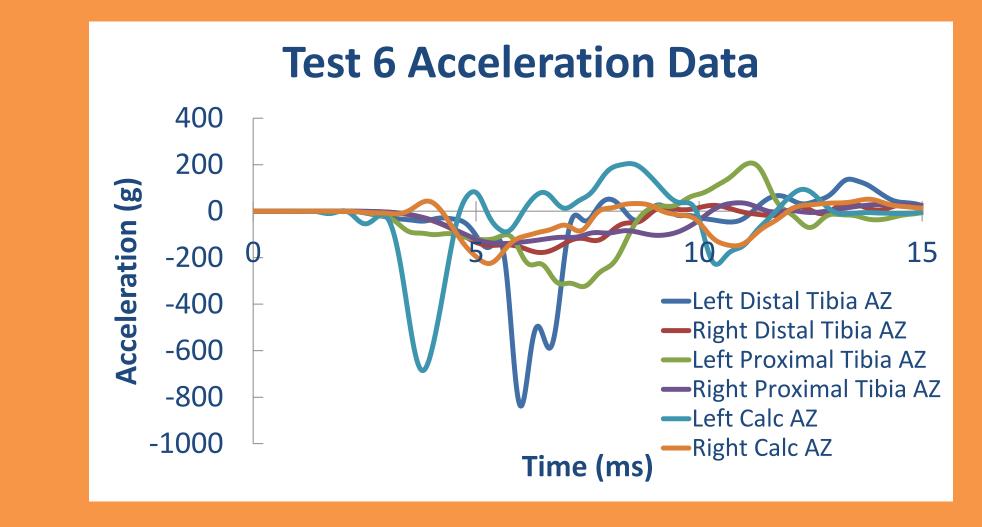
Sorbothane®-50 was selected for PMHS testing



#### **PMHS** Experiments

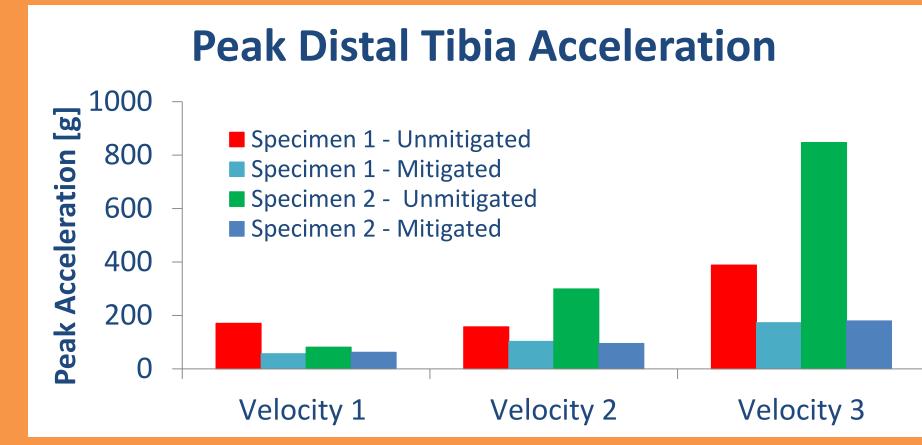
Both specimens were tested with the left foot unmitigated and the right foot mitigated



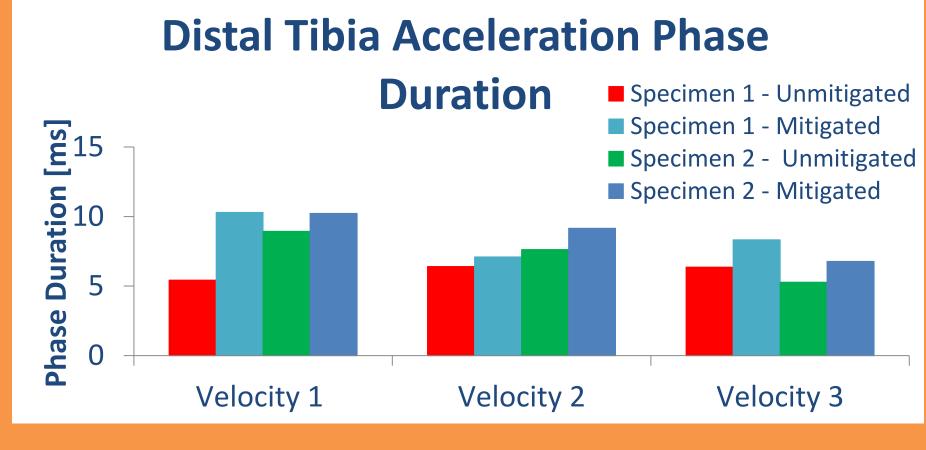


## Discussion

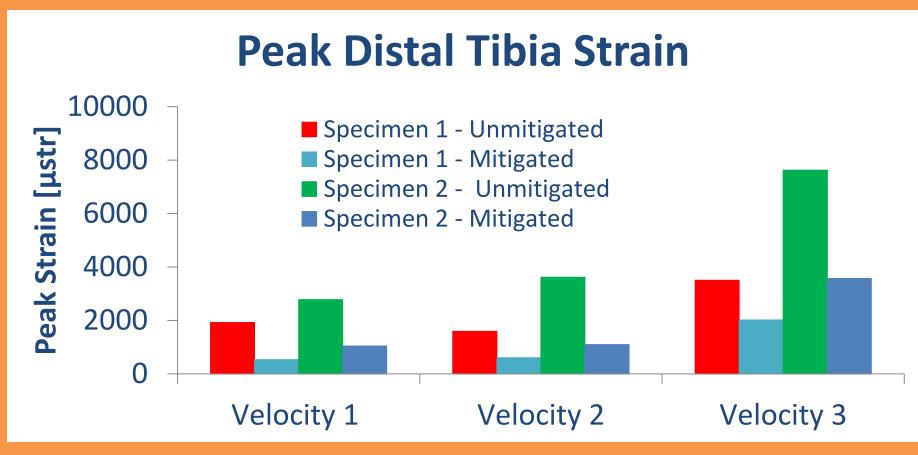
Mitigated peak distal tibia accelerations are less severe when compared to unmitigated



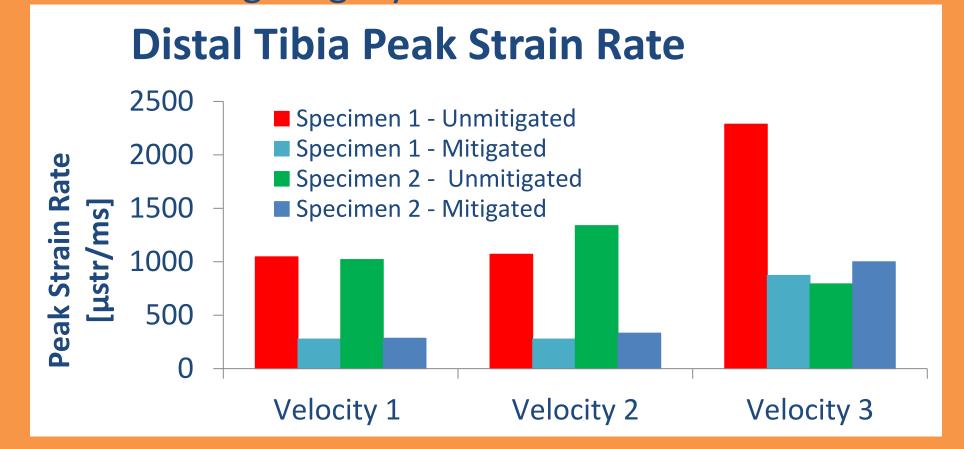
Peak distal tibia strain was decreased by the mitigating layer



Distal tibia acceleration phase durations are lengthened by the mitigating layer



• In general, peak distal tibia strain rate is reduced with mitigating layer inclusion



# **Model Equations Used**

Materials characterized using viscoelastic theory to predict force response:

$$F(\delta,t) = \int Gred_{(t-t')} \frac{dFe}{d\delta} \frac{d\delta}{dt'} dt'$$

 $G_{red}$  is the reduced relaxation function,  $F^e$  is the instantaneous elastic force,  $\delta$  is displacement, t is time, t' is a dummy variable for integration

Model Equations					
Model Type	$F^{ m e}(\delta)$	$G_{red(t)}$			
Non-linear Elastic	$A[e^{B\delta}-1]$	$G_{\infty}$			
Linear Viscoelastic	$A\delta$	$G_{\infty} + \sum_{n=1}^{4} G_n e^{-t/\tau_n}$			
Quasi-linear Viscoelastic	$A[e^{B\delta}-1]$	$G_{\infty} + \sum_{n=1}^{4} G_n e^{-t/\tau_n}$			

A and B are instantaneous elastic parameters

$$G_1 + G_2 + G_3 + G_4 + G_{\infty} = 1$$

 $G_{\infty}$  is the steady-state relaxation coefficient,  $\tau_n$  are time constants

#### Conclusion

- The lumped-mass model predicts a representative response change from the addition of an injury-mitigating layer
- Mitigating layer decreases severity of UBB events

#### **Future Work**

 Results from the lumped-mass model can be investigated using a finite element model of the lower extremity before PMHS testing

# Acknowledgements

The authors would like to thank the U.S. Department of Defense (Contract W81XWH-11-2-0086) and the U.S. Army Medical Research and Materiel Command and the U.S. Army Aeromedical Research Laboratory for their support of this research.

#### References

[1] Vasquez K., Logsdon K., Shivers B., and Chancey C., Medical Injury Data 10, November, 2011.

[2] Henderson K., Bailey A., Christopher J., Brozoski F., and Salzar R., Biomechanical response of the lower leg under high rate loading, IRCOBI Conference on the Biomechanics of Impact, Gothenburg, Sweden, 11-13 September 2013, pp. 145-157.

[3] Sorbothane®, Inc, Kent, Ohio, http://www.sorbothane.com